Knowledge Graphs in Action



AI Summer School 2023



austrian society for artificial intelligence

3 July 2023





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Part 1: Modern Knowledge Graphs and Vadalog

Georg Gottlob



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Knowledge Graphs as Large "World" KBs

Syc [Lenat & Guha 1989]

w: "comprehensive ontology and knowledge base of everyday common sense knowledge".

Freebase [Bollacker et al. 2007] w: "online collection of structured data harvested from many sources, including user-submitted wiki contributions".

G Google Knowledge Graph [Singhal 2012] + K.Vault [Dong et al. 2014] w: "KB used by Google to enhance its search engine's search results with semantic-search information gathered from a wide variety of sources".

DBpedia [Auer et al. 2007]. *** Yago** [Suchanek et al 2007] both generate structured ontologies from Wikipedia.

Wikidata [Vrandečić 2012, Krötzsch+V. 2014] open knowledge base that can be read and edited by both humans and machines.

More Specialized Knowledge Graphs

Facebook Knowledge Graph: Social graph with people, places and things + information from Wikipedia

Amazon Knowledge Graph: Started as product categorization ontology
Wolfram KB: World facts + mathematics
Factual: Businesses & places
Megagon (Recruit Inst.): People, skills, recruiting
Central Banks: Company register – ownership graph
Credit Rating Agencies ...

Thousands of medium to large size companies now want their own corporate knowledge graph. This not just for semantic indexing and search, but for advanced reasoning tasks on top of machine learning.

Reasoning in Knowledge Graphs



Many still think that DLs or graph databases suffice. However:

Reasoning tasks are required that cannot be expressed by description logics, and cannot be reasonably managed by relational DBMS, nor by graph DBMS.

DLs, Logic, KR, Databases, and all that



DLs, Logic, KR, Databases, and all that



DLs, Logic, KR, Databases, and all that



A Simple Example

married(Schneider, Meyen, 1966, 1975), married(Schneider, Biasini, 1975, 1981), married(Niven, Rollo, 1940, 1946), married(Niven, Genberg, 1948, 1983), married(Taylor, Hilton, 1950, 1951), married(Hilton, Taylor, 1950, 1951), married(Taylor, Wilding, 1952, 1957), married(Taylor, Todd, 1957, 1958), married(Taylor, Fisher 1959, 1964), married(Taylor, Burton, 1964, 1974), married(Taylor, Burton, 1975, 1976), married(Taylor, Warner, 1976, 1982), married(Taylor, Fortensky, 1991, 1996), married(..... , ,)

- Q: married(Taylor, Burton, X?,Y?)
- A: { (1964,1974), (1975,1976) }
- Q: married(Burton, Taylor ,X?,Y?)
- A: {} 🗴

Marriage Database

A Simple Example

married(Schneider, Meyen, 1966, 1975), married(Schneider, Biasini, 1975, 1981), married(Niven, Rollo, 1940, 1946), married(Niven, Genberg, 1948, 1983), married(Taylor, Hilton, 1950, 1951), married(Hilton, Taylor, 1950, 1951), married(Taylor, Wilding, 1952, 1957), married(Taylor, Todd, 1957, 1958), married(Taylor, Fisher 1959, 1964), married(Taylor, Burton, 1964, 1974), married(Taylor, Burton, 1975, 1976), married(Taylor, Warner, 1976, 1982), married(Taylor, Fortensky, 1991, 1996), married(..... , ,)

Marriage Database

- Q: married(Taylor, Burton ,X? ,Y?)
- A: { (1964,1974), (1975,1976) }
- Q: married(Burton, Taylor, X?,Y?)
- A: {} 🗴

Let us add the rule:

 $married(u,v,x,y) \rightarrow married(v,u,x,y)$

Q: married(Taylor, Burton ,X? ,Y?)

A: { (1964,1974), (1975,1976) } 🗸

Example: Wikidata Marriage Intervals

[Krötzsch DL 2017]

Wikidata contains the statement :



Taylor was married to Burton starting from 1964 and ending 1974

This can be represented in relational DB or Datalog-notation by :

married(taylor,burton,1964,1974)

Symmetry rule for marriage intervals in **Datalog**:

 $\forall u, v, x, y. \text{ married}(u, v, x, y) \rightarrow \text{married}(v, u, x, y)$

This cannot be expressed in DLs!

Note: In what follows, we will often omit universal quantifiers.

Example: Controlling Companies 0.003 0.083 0.0820.195 0.592 0.932 0.007 0.081 0.138 /0.191 0.093 0.334 0.875 0.138-0.131 0.007 0.381 0.38 0.532 0.51 0.7 0.982 0.25 0.443 0.112 0.452 0.472 0.093 0.65 0.24 0.32 0.006 0.073 0.22 0.048 0.393 0.003 0.17 0.878 0.143 0.013 0.093 0.013 0.007 0.128 0.007

Example: Controlling Companies

```
x controls y if
x directly holds over 50% of y, or
x controls a set of companies that jointly hold over 50% of y
```

This cannot be expressed in DLs and only clumsily in SQL and Graph DBMS!

Example: My Creditworthiness





Example: My Creditworthiness



Explanation

A machine-learning program has "reasonably" learned:

People who live in a joint household with someone who does not pay their bills are likely to fail repaying their own debts.

This ethically questionable rule was applied to wrong data.

Explanation

A machine-learning program has "reasonably" learned:

People who live in a joint household with someone who does not pay their bills are likely to fail repaying their own debts.

This ethically questionable rule was applied to wrong data.

A human credit rating expert would instead use of the rule:

If property owners move into their recently bought one-family property, then the previous occupiers have <u>most likely</u> moved out.

(Such updates are often missing in the database)

This rule can be used to update the database <u>before</u> applying machine learning.

Knowledge Graph Management Systems (KGMS)

KGMS combine the power of rule-based reasoning with machine learning over Big Data:

KGMS = KBMS + Big Data + Analytics

Misusing the lateralization thesis for illustration









Grandma: "Fly agarics are poisonous mushrooms. If you eat a poisonous mushroom, you may die".

PRE-TRAINED LARGE LANGUAGE MODELS (LLMs)



How I imagine it could work, and why LLMs need to be integrated with a KG

PRE-TRAINED LARGE LANGUAGE MODELS (LLMs)



Desiderata for KGMS According to our Philosophy

No extra permanent data repository or database/DBMS

- Uses (possible multiple) existing company data repositories/databases
- Can query and update these streaming into main memory for reasoning
- No data migration necessary

Multiple data models possible.

- Relational, graph, RDF, ...
- Reasoning engine interprets all data relationally (by Datalog facts)

High expressive power of reasoning language; express at least:

- Full Datalog with full recursion and stratified negation
- Graph navigation
- Aggregate functions
- Description logics such as: DL-Lite (OWL 2 QL), EL, F-Logic Lite
- SPARQL under RDFS or OWL2 QL Entailment Regimes

Good complexity and scalability

- Tractability guarantee for main formalism
- Highly efficient, and highly parallelizable language fragments

Support for machine learning, analytics, LLMs, and collaborative filtering

- APIs to standard ML and analytics packages and LLMs (do not reinvent the wheel)
- Provide system support for graph analysis (e.g. balanced separators), and typical functions such as *argmin* (with grad. desc.), *eigenvector*, *pagerank*, *simrank*, etc.

Knowledge Graph Management Systems

a diverse new field – many systems with different capabilities



Analysis along many dimensions possible

Franz Inc.	Graph database supporting SPARQL and Prolog reasoning
GRAKN.AI	Apache Cassandra-based KGMS providing schema support based on the Entity Relationship model
GP	Knowledge Graph-as-a-Service
	Data source-agnostic KGMS supporting ontological and recursive reasoning based on Datalog
🌔 neo4j	Leading graph database system
Stardog	RDF-based unifying data-integration platform
metaphacts	SPARQL 1.1-graph database-based end-user-oriented platform
	Azure-based computation-focused platform
GNOSS	RDF and OWL-based metadata management solution.

Migration necessary?

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Principle Data Format / Backend

AllegroGraph Franz Inc.	Graph database sup Graph d Prolog reasoning
GRAKN.AI	Apache Cassandra-based KGMS providing so based on the Entity Relationship model Cassandra
GP	Knowledge Graph-as-a-Service
VADALOG	Data source-agnostic KGMS supporting onto recursive reasoning based on Datalog Multiple
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Vadalog KGMS Being Built at Oxford



Current Team Members

- VADA = Value-Added DAta
- General architecture of VADALOG system
- Core reasoning language VADALOG = Warded Datalog + extensions
- Connectivity: Some plug-ins



Vadalog: The Core Reasoning Language

Core Vadalog = full Datalog + restricted use of \exists + stratif. negation + \perp

Why existential quantifiers in rule heads?

- Data exchange, data integration
- Data extraction
- Reasoning with RDF \rightarrow Wikidata example
- Ontology querying (DL-Lite, EL, etc.)
- Data anonymization
- Duplicate handling
- Automated product configuration
- Conceptual Modeling (e.g., UML)





PRODUCT	PRICE
Toshiba_Protege_cx	480
Dell_25416	360
Dell_23233	470
Acer_78987	390







T ₁	T ₂
PRODUCT	PRICE
Toshiba_Protege_cx	480
Dell_25416	360
Dell_23233	470
Acer_78987	390

Reasoning with RDF – Foreign Key Creation

```
married(taylor,burton,1964,1974)
```

In the **RDF**-like "graph" notation this tuple is broken up into several triples (here represented as logical facts):

```
spouse1(k1,taylor),
spouse2(k1,burton),
start(k1,1964),
end(k1,1974)
```



 \forall u,v,x,y. married(u,v,x,y) \rightarrow married(v,u,x,y)

This symmetry rule for marriage intervals now becomes:

spouse1(u,y1) \land spouse2(u,y2) \land start(u,y3) \land end(u,y4) \rightarrow

```
\exists v. spouse(v, y1) \land spouse1(v, y2) \land start(v, y3) \land end(v, y4)
```

```
spouse1(k2,burton),
spouse2(k2,taylor),
start(k2,1964),
end(k2,1974)
```



Description Logics & Ontological Reasoning

The DL-Lite Family

Popular family of DLs with low (AC₀) data complexity

DL-Lite TBox	First-Order Representation (Datalog $^{\pm}$)
DL-Lite _{core}	
professor ⊑ ∃teachesTo	∀X professor(X) → ∃Y <u>teachesTo</u> (X,Y)
professor 🗆 ¬student	$\forall X \text{ professor}(X) \land \text{student}(X) \rightarrow \bot$
DL-Lite _R (OWL 2 QL)	
hasTutor⁻	$\forall X \forall Y has Tutor(X,Y) \rightarrow teaches To(Y,X)$
DL-Lite _F	
funct(<i>hasTutor</i>)	$\forall X \forall Y \forall Z \text{ hasTutor}(X,Y) \land \text{ hasTutor}(X,Z) \rightarrow Y = Z$

[Calvanese, De Giacomo, Lembo, Lenzerini & Rosati, J. Autom. Reasoning 2007]
Datalog[\exists]: Full Datalog augmented with \exists -quantifier

Unfortunately:

Theorem: Reasoning ($KB \vDash q$) with Datalog[\exists] is undecidable.

[Beeri & Vardi, 1981]; [J. Mitchell 1983] [Chandra & Vardi 1985];

[Calì, G., & Kifer, 2008]; [Baget, Leclère & Mugnier, 2010]

Finding expressive decidable/tractable fragments has become a topic of intensive research over the last 10 years.

Datalog[±] : Datalog[\exists , \perp , \neg strat, ...] subject to syntactic restrictions.

Vadalog: member of the Datalog[±] family admitting efficient reasoning methods.

Which are the Main Decidable Datalog[±] Languages?

• Guardedness: one body-atom that contains all the 8-variables

supervisorOf(S,E), $emp(E) \rightarrow emp(S)$

- Linearity: there exists only one atom in the body $person(P) \rightarrow \exists F fatherOf(F,P)$ $fatherOf(F,P) \rightarrow person(F)$
- Weak-guardedness: guard only those variables that are **affected**, i.e., that may unify with null values [Calì & Kifer, 2008]

Nontrivial example: F-logic Lite (\rightarrow next page)

Nontrivial example of a weakly guarded set of rules:

F-Logic Lite, by [Cali & Kifer], VLDB 2006

(1) member $(V,T) \leftarrow type(O,A,T), data(O,A,V).$ (2) $sub(C_1, C_2) \leftarrow sub(C_1, C_3), sub(C_3, C_2).$ (3) member $(O, C_1) \leftarrow$ member(O, C), sub (C, C_1) . (4) $V = W \leftarrow data(O, A, V), data(O, A, W), funct(A, O).$ Note that this is the only EGD in this axiomatization. (5) data $(O, A, V) \leftarrow mandatory(A, O)$. Note that this is a TGD with an existential variable in the head (variable V; quantifiers are omitted). (6) $type(O, A, T) \leftarrow member(O, C), type(C, A, T).$ (7) $\mathsf{type}(C, A, T) \leftarrow \mathsf{sub}(C, C_1), \mathsf{type}(C_1, A, T).$ (8) type $(C, A, T) \leftarrow$ type (C, A, T_1) , sub (T_1, T) . (9) mandatory $(A, C) \leftarrow \mathsf{sub}(C, C_1), \mathsf{mandatory}(A, C_1).$ (10) mandatory $(A, O) \leftarrow$ member(O, C), mandatory(A, C).(11) funct $(A, C) \leftarrow \mathsf{sub}(C, C_1)$, funct (A, C_1) . (12) funct $(A, O) \leftarrow \text{member}(O, C)$, funct(A, C).

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Stratified Weakly Guarded Datalog[±]



Legend:





: captures large relevant decidable fragments

Main Decidable Datalog[±] Languages



Main Decidable Datalog[±] Languages



Future Plan – Challenge: PTIME Data Complexity







Vadalog is based on Warded Rules

A Datalog[±] program is **warded** if for each rule body:

- all *dangerous* variables jointly occur in a single "ward" atom, and
- this ward shares only *unaffected* variables with the other body-atoms



Core Vadalog = warded Datalog[\exists, \bot, \neg strat]

Examples of Warded Datalog[±] Rules

1. Symmetry rule for marriage intervals (RDF):

```
spouse1(<u>x</u>,y1) ∧ spouse2(<u>x</u>,y2) ∧

start(<u>x</u>,y3) ∧ end(<u>x</u>,y4) →

∃v. spouse2(<u>v</u>,y1) ∧ spouse1(<u>v</u>,y2) ∧

start(<u>v</u>,y3) ∧ end(<u>v</u>,y4)
```

2. : OWL 2 QL description logic

DL-Lite TBox	Representation in Vadalog
DL-Lite _{core}	
professor v 9teachesTo	8X professor(X) \rightarrow 9 Y teachesTo(X,Y)
professor v :student	8X professor(X) \land student(X) \rightarrow ?
DL-Lite _R (OWL 2 QL)	
hasTutor ⁱ v teachesTo	8X8Y hasTutor(X,Y) \rightarrow teachesTo(Y,X)

Examples of Warded Datalog[±] Rules

3. Creation of tuple-identifiers for bag semantics



Bag semantics for Datalog by [Mumick & Shmueli 1992]

In case of recursion, possibly infinitely many duplicates...

Examples of Warded Datalog[±] Rules

use tuple-identifiers



 $T(b, u_{14})$

This simple trick does the job:

Theorem: Datalog bag semantics can be faithfully emulated in Vadalog by using TIDs. [Bertossi, G.Pichler, ICDT'19]

Corollary: Deciding multiplicity of tuple is PTIME (data complexity)

Theorem

Vadalog has polynomial-time data complexity and can express:

- Datalog with full recursion and stratified negation
- Description logics: DL-Lite Family, in particular, OWL 2 QL, EL, F-Logic Lite
- Datalog under the bag semantics
- SPARQL under RDFS and OWL 2 QL Entailment Regimes

Moreover: All queries of iBench can be expressed in Vadalog!

VADALOG



Legend:





: captures large relevant decidable fragments

(5) data $(O, A, V) \leftarrow$ mandatory(A, O). Note that this is a TGD with an existential variable in the head (variable V; quantifiers are omitted). (6) $type(\mathcal{O}, A, T) \leftarrow member(\mathcal{O}, C), type(\mathcal{O}, A, T).$ (7) type $(\overline{C}, A, T) \leftarrow sub(C, \overline{C}_1), type (C_1, A, T).$ (8) type $(C, A, T) \leftarrow type (C, A, T_1), sub(T_1, T).$ (9) mandatory $(A, C) \leftarrow sub(C, C_1), mandatory (A, C_1).$ (10) mandatory $(A, \mathbf{O}) \leftarrow$ member (O, C), mandatory (A, C). (11) funct $(A, C) \leftarrow \operatorname{sub}(C, C_1)$, funct (A, C_1) . (12) funct $(A, O) \leftarrow \operatorname{member}(O, C)$, funct(A, C).

VADALOG



Legend:





: captures large relevant decidable fragments

Further Language Features (selection)

Data types and associated operations & expressions: integer, float, string, Boolean, date, sets.

Monotonic aggregations: min, max, sum, prod, count work even in presence of recursion while preserving monotonicity of set-containment

Example: Company Control

own(x,y,w), $w>0.5 \rightarrow control(x,y)$;

control(x,y),own(y,z,w),

 $v=msum(w, \langle y \rangle)$, $v>0.5 \rightarrow control(x, z)$.

Probabilistic reasoning: facts and rules can be adorned with weights. Marginal weights for derived facts will be computed assuming independence.

Equality (EGDs, functional dependencies) if non-conflicting.

Rules can be uncertain

@weight(0.6) company(C) $\rightarrow \exists C1 \text{ own}(C,C1).$ @weight(0.5) own(C,S), holding(C) $\rightarrow \text{ subsidiary}(S).$

- A Soft Vadalog rule has a weight
- Similar to Markov Logic Network, but Soft Vadalog
 ➢ is not full First Order Logic
 ➢ allows recursive definitions
 ➢ has unrestricted domain



Database Interface

```
@bind("Own", "rdbms", "companies.ownerships").
```

```
@qbind("Own", "graphDB", "MATCH (a)-[o:Owns]->(b) RETURN a,b,o.weight").
Cypher query (Neo4j)
@bind("q","data source", "schema","table").
```

```
@update("q", {1,3,4,5}).
```



Machine Learning, Big Data Analytics, NLP & Data Visualization

We are currently experimenting with different tools and different types of interfaces and interactions.







Interaction Model 1



Interaction Model 2



Interaction Model 3



- We prepare a relation as ML input.
- ML sw classifies facts and sends them into the core reasoning system.

- ML package acts as a special predicate.
- Called by the core reasoning system.

- ML sw learns rules.
- Rules are translated into probabilistic Vadalog rules.



Web Data Extraction & IoT

Interfacing KG to OXPath; Binding OXPath to Datalog

[Furche, T., Gottlob, G., Grasso, G., Schallhart, C., & Sellers, A. (2013). **OXPath**: A language for scalable data extraction, automation, and crawling on the deep web. *The VLDB Journal*, *22*(1), 47-72. ".]

Core Algorithms



For more details see Luigi Bellomarini, Emanuel Sallinger, Georg Gottlob: The Vadalog System: *Datalog-based Reasoning for Knowledge Graphs*. PVLDB 11(9) 2018

- Bottom-up chase processing with "aggressive" termination strategy
- Top-down query processing
- Advanced program rewriting and optimization techniques
- Efficient & highly scalable cache managmt., query plan optimization
- Recent evaluation shows the system is extremely competitive

PAPER ON THE VADALOG LANGUAGE

 Marcelo Arenas, Georg Gottlob, Andreas Pieris: *Expressive* languages for querying the semantic web.
 ACM TODS 13:1-45, 2018.

PAPERS ON THE VADALOG SYSTEM

- Luigi Bellomarini, Georg Gottlob, Andreas Pieris, Emanuel Sallinger: *Swift Logic for Big Data and Knowledge Graphs*. International Joint Conference on Artificial Intelligence (IJCAI) 2017
- Luigi Bellomarini, Emanuel Sallinger, Georg Gottlob: The Vadalog System: Datalog-based Reasoning for Knowledge Graphs. PVLDB 11(9) 2018.

Some Applications

with two special partners/customers
Banca d'Italia Central Bank of Italy



Collaboration

1. Company Control	new approaches to classical problems – when does a company control another company?
2. Close Links	understanding whether companies are "too close" in terms of mutual stock participation for different purposes, e.g., for loan granting
3. Detection of Family Business	identifying families along with their ownerships, i.e., considering the family as the elementary control unit
4. Anonymization of Confidential Data	deciding whether a dataset respects complex confidentiality criteria (e.g., ISTAT) before publication and, if not, make it anonymous
5. Hybrid Data Science Pipelines	with different data sources, machine learning frameworks, programming languages,

... more applications that we cannot talk about at this point

Meltwater



Collaboration

1. Entity Resolution

2. Similarity in Bipartite Graphs

3. Knowledge Graph Support

4. Computing Higher-Level Events and Signals on KG

5. Fact Enrichment and Verificiation on KGs

... more applications that we cannot talk about at this point

1 Car producer & 1 Supermarket Chain, Joint project with Univ. of Appl. Science Upper Austria in Steyr

Risk estimation in supply chains



sells(S,B,P) & $P>0.5 \rightarrow depends(S,B)$.

sells(S,B',P') & depends(B',B) & V=msum(P', $\langle B' \rangle$) & V>0.5 \rightarrow depends(S,B).





Knowledge Graphs in Action

Part 2: Theory to Practice

Emanuel Sallinger



Knowledge Graph Lab



AI Summer School 2023



austrian society for artificial intelligence

3 July 2023





Economic Impact of Crises









Hostile Takeovers



Anti-Money Laundering

FINANCIAL TIMES

Danske Bank AS

+ Add to myFT

Danske Bank chairman ousted by main shareholder after scandal

Maersk family brings in new blood to stabilise lender in wake of €200bn money laundering

€200bn money laundering



Ole Andersen will step down as chairman of Danske Bank at an extraordinary general meeting in the next few weeks © Bloomberg



Cancer Pathways













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Supply Chains





IRC





Media Intelligence









Open Knowledge Network Innovation Sprint















Supply Chain + Finance

Image source: https://www.newsweek.com/



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Supply Chain + Finance



COVID Impact + Finance





PPP / US CARES Effectiveness









Supply Chain <mark>+ Finance</mark>





COVID Impact <mark>+ Finance</mark> Environmental Models <mark>+ Finance</mark>



"Where is the TU Wien?"



"How likely will the largest bank in Italy be taken over in 2023?"



"How likely will the largest bank in Italy be taken over in 2023?"

how likely will intesa sanpaolo be taken over in 2023?



It is difficult to predict with certainty whether Intesa Sanpaolo will be taken over in 2023 Takeovers are typically the result of a complex set of factors, including the strategic goals of the potential acquirer, the financial performance of the target company, and regulatory approval.

That being said, Intesa Sanpaolo is a large and well-established banking group, and it would likely take a significant offer from a well-capitalized acquirer to successfully complete a takeover. Additionally, the bank's strategic importance to the Italian economy would likely be a major consideration for regulators and government officials.

Therefore, it is not likely that Intesa Sanpaolo will be taken over in 2023 but it can't be completely ruled out. As the year progresses, it is important to keep an eye on any developments in the merger and acquisition market that might affect the bank's future. ????



Knowledge Graphs

- 1. The **technology** used by Google and others
- 2. A meeting place of **databases**, **data science** and **Artificial Intelligence** research
- 3. A **skillset** to solve fascinating problems

Anti-Money Laundering

FINANCIAL TIMES

Danske Bank AS

+ Add to myFT

Danske Bank chairman ousted by main shareholder after scandal

Maersk family brings in new blood to stabilise lender in wake of €200bn money laundering

€200bn money laundering



Ole Andersen will step down as chairman of Danske Bank at an extraordinary general meeting in the next few weeks © Bloomberg



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First-order Logic

 $\forall x, y \ (own(x, y, w), w > 0.5 \rightarrow control(x, y))$









Datalog

control(X,Y) := own(X,Y,W), W > 0.5.





SELECT x,y INTO control
FROM company
WHERE w > 0.5



Relational Calculus

 $control = \{(x, y) \mid own(x, y, w), w > 0.5 \}$



Relational Algebra

 $control = \sigma_{w>0.5} own$



MATCH (x:Company) -[o:OWN]-> (y:Company)]
WHERE o.w > 0.5
CREATE (x) -[:CONTROL]-> (y)









• • •



SQL

First-order Logic

Relational Algebra



Control

A bank or intermediary x controls another bank or intermediary y if (i) x directly owns more than 50% of y; or (ii) x controls a set of banks or intermediaries that jointly (i.e., summing the shares), and possibly together with x, own more than 50% of y



 $Bank(x) \rightarrow Control(x, x)$ $Control(x, y), Own(y, z, w), v = msum(w, \langle y \rangle), v > 0.5 \rightarrow Control(x, z)$



Knowledge Graphs





Knowledge Graphs























Hostile Takeovers







- 10 million individuals
- 30 million ownerships
- 20 million roles (e.g. CEO)
- 200k company events (e.g. M&A)







- 264 million nodes
- 660 million edges
- 1+ billion properties

Plus, derived knowledge:



- company control
- relevant influence
- family links

Knowledge Graphs

Company Knowledge Graphs



- Who takes **decisions**?
- Who's the ultimate **beneficial owner**?
- Is there **collusion**?
- How does **risk** propagate?
- What are the **real cash flows**?





Logical Knowledge in KGs Warded and Vadalog

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Vadalog Requirements

1. **Recursive** Reasoning: *full recursion over graphs*



Vadalog Requirements

1. **Recursive** Reasoning: *full recursion* over graphs





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- 1. **Recursive** Reasoning: *full recursion over graphs*
- 2. Ontological Reasoning: object creation, ...

















- 1. **Recursive** Reasoning: *full recursion over graphs*
- 2. Ontological Reasoning: *object creation,* ...

Knowledge Graphs



- 1. **Recursive** Reasoning: *full recursion over graphs*
- 2. Ontological Reasoning: object creation, ...
- **3.** Numerical Reasoning: *numeric computation and aggregation*
- 4. **Probabilistic** Reasoning: *uncertain information*
- 5. **Subsymbolic** Reasoning: *low-dimensional spaces*
- 6. Temporal Reasoning: reasoning over time
- 7. Scalable Reasoning: coping with large datasets

Vadalog

1. **Recursive** Reasoning:

Full support of recursive **Datalog**

- 2. Ontological Reasoning: Expressive power of SPARQL and OWL 2 QL
- 3. Scalable Reasoning: polynomial time, sub-fragments that are fully parallelizable

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Interfaces (REST, JDBC, API, GUI, ...)

Parser

Logic optimizer

Planner

Execution plan optimizer



Interfaces (REST, JDBC, API, GUI, ...)

Parser

Logic optimizer

Planner

Execution plan optimizer



Interfaces (REST, JDBC, API, GUI, ...)



Interfaces (REST, JDBC, API, GUI, ...)

Parser

Logic optimizer

Planner

 Execution plan optimizer

 Query
manager
 Warded Datalog*
Nearly-linear
Datalog*
 Expressions
evaluator
 Aggregator
 Probabilistic
reasoning

 Cache manager
 Termination manager
 In-memory indexer

 Record manager
 Record manager















$$1: \operatorname{Company}(x) \to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, x) \\ 2: \operatorname{Owns}(\hat{p}, \hat{s}, x) \to \operatorname{Stock}(x, \hat{s}) \\ 3: \operatorname{Owns}(\hat{p}, \hat{s}, x) \to \operatorname{PSC}(x, \hat{p}) \\ 4: \operatorname{PSC}(x, \hat{p}), \operatorname{Controls}(x, y) \to \exists s \operatorname{Owns}(\hat{p}, \hat{s}, y) \\ 5: \operatorname{PSC}(x, \hat{p}), \operatorname{PSC}(y, \hat{p}) \to \underline{\operatorname{StrongLink}}(x, y) \\ 6: \operatorname{StrongLink}(x, y) \to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, x) \\ 7: \operatorname{StrongLink}(x, y) \to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, y) \\ 8: \operatorname{Stock}(x, \hat{s}) \to \operatorname{Company}(x). \end{cases}$$





$$\begin{split} 1: \operatorname{Company}(x) &\to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, x) \\ 2: \operatorname{Owns}(\hat{p}, \hat{s}, x) \to \operatorname{Stock}(x, \hat{s}) \\ 3: \operatorname{Owns}(\hat{p}, \hat{s}, x) \to \operatorname{PSC}(x, \hat{p}) \\ 4: \operatorname{PSC}(x, \hat{p}), \operatorname{Controls}(x, y) \to \exists s \operatorname{Owns}(\hat{p}, \hat{s}, y) \\ 5: \operatorname{PSC}(x, \hat{p}), \operatorname{PSC}(y, \hat{p}) \to \underline{\operatorname{StrongLink}}(x, y) \\ 6: \operatorname{StrongLink}(x, y) \to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, x) \\ 7: \operatorname{StrongLink}(x, y) \to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, y) \\ 8: \operatorname{Stock}(x, \hat{s}) \to \operatorname{Company}(x). \end{split}$$



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1. all the "dangerous" variables should coexist in a single body-atom α , called the ward

$$\begin{split} 1: \operatorname{Company}(x) &\to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, x) \\ 2: \operatorname{Owns}(\hat{p}, \hat{s}, x) &\to \operatorname{Stock}(x, \hat{s}) \\ 3: \operatorname{Owns}(\hat{p}, \hat{s}, x) &\to \operatorname{PSC}(x, \hat{p}) \\ 4: \operatorname{PSC}(x, \hat{p}), \operatorname{Controls}(x, y) &\to \exists s \operatorname{Owns}(\hat{p}, \hat{s}, y) \\ 5: \operatorname{PSC}(x, \hat{p}), \operatorname{PSC}(y, \hat{p}) &\to \underline{\operatorname{StrongLink}}(x, y) \\ 6: \operatorname{StrongLink}(x, y) &\to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, x) \\ 7: \operatorname{StrongLink}(x, y) &\to \exists p \exists s \operatorname{Owns}(\hat{p}, \hat{s}, y) \\ 8: \operatorname{Stock}(x, \hat{s}) &\to \operatorname{Company}(x). \end{split}$$



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Theorem

Let a and b be two facts in a warded forest. If they are isomorphic, then subtree(a) is isomorphic to subtree(b).



Theorem

Let a and b be two facts in a warded forest. If they are isomorphic, then subtree(a) is isomorphic to subtree(b).



Theorem

Let a and b be two facts in the chase graph of a set of harmless warded rules. If a and b are isomorphic, then subgraph(a) is isomorphic to subgraph(b).

Proposition

Let a and b be two facts in a linear forest. If they are pattern-isomorphic, then subtree(a) is pattern-isomorphic to subtree(b).



Algorithm 1 Termination strategy for the chase step.

1: function CHECK_TERMINATION(a)								
2:	if a.generating_rule == {LINEAR or WARD}	ED} then						
3:	if $\exists \lambda \in S[\pi(a.l_root)]$ s.t. $\lambda \subseteq a.provenance$	ce then						
4:	return false	▷ beyond a stop provenance						
5:	else if $\exists \lambda \in S[\pi(a.l_root)]$ s.t. a.provenance	$xe \subset \lambda$ then						
6:	return true	▷ within a stop provenance						
7:	else	▷ continue exploration						
8:	if $\exists g in G[a.w_root] s.t. a isomorphic$	to g then						
9:	$S[\pi(a.l_root)] = a.provenance$							
10:	return false	▷ isomorphism found						
11:	else							
12:	$G[\mathbf{a}.w_root].append(\mathbf{a})$							
13:	return true	▷ isomorphism not found						
14:	else if a $\notin G$ then	▷ other non-linear generating rules						
15:	$G[\mathbf{a}.w_root].append(\mathbf{a})$	\triangleright and reset provenance						
16:	return true							
17:	else	\triangleright the new tree is redundant						
18:	return false							

Algorithm 2 A generic chase using the termination strategy.

```
1: function CHASE(D, \Sigma)
```

3: **if** CHECK_TERMINATION($\sigma(\mathbf{x})$) **then**

4: $D = D \cup \{\sigma(\mathbf{x})\}$

2016–2019 Selected Highlights











ExpressivE



A Spatio-Functional Knowledge Graph Embedding



Inference Pattern	ExpressivE	BoxE	RotatE	TransE	DistMult	ComplEx
Symmetry: $r_1(X, Y) \Rightarrow r_1(Y, X)$	1	1	1	X	1	1
Anti-symmetry: $r_1(X, Y) \Rightarrow \neg r_1(Y, X)$	1	1	✓	✓	×	1
Inversion: $r_1(X, Y) \Leftrightarrow r_2(Y, X)$	~	1	✓	✓	×	1
Comp. def.: $r_1(X, Y) \wedge r_2(Y, Z) \Leftrightarrow r_3(X, Z)$	~	×	✓	1	×	×
Gen. comp.: $r_1(X, Y) \wedge r_2(Y, Z) \Rightarrow r_3(X, Z)$	~	X	X	X	×	X
Hierarchy: $r_1(X, Y) \Rightarrow r_2(X, Y)$	~	1	X	X	1	1
Intersection: $r_1(X, Y) \wedge r_2(X, Y) \Rightarrow r_3(X, Y)$	~	1	1	1	×	X
Mutual exclusion: $r_1(X, Y) \land r_2(X, Y) \Rightarrow \bot$	1	1	1	1	✓	1



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Applications

Real-world applications of KGs.



Overview of diverse applications.





Connections Ë ... between KGs, AI, ML and Data Science.





Systems

Systems to bring KGs into practice.

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Hostile Takeovers and Golden Powers

K.G19



- Applying KG reasoning to support the application of <u>Golden Powers</u> to prevent hostile takeover attempts on strategic companies.
- In crises, taking advantage of market turbulence, specific players are inclined to pursuing **takeovers** and affect the **public control** over such companies.
- Many countries have developed legal frameworks (e.g., <u>Golden Powers in Italy</u>) to protect strategic companies by vetoing specific share acquisition operations.

Hostile Takeovers and Golden Powers





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Hostile Takeovers and Golden Powers

Company Control



 $Company(x) \rightarrow Control(x, x)$

 $Control(x, y), Own(y, z, w), v = sum(w), v > 0.5 \rightarrow Control(x, z)$



Hostile Takeovers and Golden Powers

Golden Power Check



 $Attacker(x), \neg Attacker(y), Tx(x, y, w) \rightarrow Own(x, y, w)$

 $Attacker(x), Target(y), Control(x, y) \rightarrow GPCheck(x, y)$



Hostile Takeovers and Golden Powers

Golden Power Protection



 $Control(x, y), Own(y, z, w), v = sum(w) \rightarrow PControl(x, z, v)$

$$P(x), T(y), PControl(x, y, v), v < 0.5 \rightarrow Prot(x, y, 0.5 - v)$$


Cautious Golden Power Check

Knowledge Graphs



 \neg Attacker(x), \neg Attacker(y), $Own(x, y, v), w = sum(v) \rightarrow Assigned(y, w)$ Assigned(y, w), w < 1 $\rightarrow \exists z Company(z), Attacker(z), Own(z, y, 1 - w)$ Attacker(x), \neg Attacker(y), $Tx(x, y, w), v = sum(w) \rightarrow Own(x, y, v)$ Attacker(x), $T(y), Control(x, y) \rightarrow GPCCheck(x, y)$







Hostile Takeovers and Golden Powers

K:G19



- Applying KG reasoning to support the application of <u>Golden Powers</u> to prevent hostile takeover attempts on strategic companies.
- In crises, taking advantage of market turbulence, specific players are inclined to pursuing **takeovers** and affect the **public control** over such companies.
- Many countries have developed legal frameworks (e.g., <u>Golden Powers in Italy</u>) to protect strategic companies by vetoing specific share acquisition operations.



Cancer Pathways













Cancer Pathways







Cancer Pathways







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Supply Chains





IRC





Supply Chains







Historic Data, Machine Learning



Supply Chains







Historic Data, Machine Learning

 \rightarrow **Rules:** Express what you want, not how you want it done.





Knowledge Graphs

Temporal: DatalogMTL

Datalog extended with operators from the Metric Temporal Logic



iTemporal Temporal Benchmark Suite



TEMPORAL

iTemporal: An Extensible Generator of Temporal Benchmarks





Graph Schema Design



Modelling Smart Contracts with Temporal Datalog



"ExpressivE": Expressive Knowledge Graph Embeddings





Media Intelligence







Knowledge Graphs in Action

Part 2: Theory to Practice

Emanuel Sallinger



Knowledge Graph Lab



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Knowledge Graphs in Action



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